COMP 138: Reinforcement Learning



Instructor: Jivko Sinapov

Announcements

Reading Assignment

• Chapter 7 of Sutton and Barto

Research Article Topics

- Transfer learning
- Learning with human demonstrations and/or advice
- Approximating q-functions with neural networks

Research Paper

- Griffith, S., Subramanian, K., Scholz, J., Isbell, C. L., & Thomaz, A. L. (2013). Policy shaping: Integrating human feedback with reinforcement learning. In Advances in neural information processing systems (pp. 2625-2633).
- Responses should discuss both readings
- You get extra credit for answering others' questions!

Monte Carlo Methods

Overview of Monte Carlo ES

Monte Carlo ES (Exploring Starts), for estimating $\pi \approx \pi_*$

```
Initialize, for all s \in S, a \in \mathcal{A}(s):

Q(s, a) \leftarrow \text{arbitrary}

\pi(s) \leftarrow \text{arbitrary}

Returns(s, a) \leftarrow \text{empty list}
```

```
Repeat forever:

Choose S_0 \in S and A_0 \in \mathcal{A}(S_0) s.t. all pairs have probability > 0

Generate an episode starting from S_0, A_0, following \pi

For each pair s, a appearing in the episode:

G \leftarrow the return that follows the first occurrence of s, a

Append G to Returns(s, a)

Q(s, a) \leftarrow average(Returns(s, a))

For each s in the episode:

\pi(s) \leftarrow \arg\max_a Q(s, a)
```

On-vs. Off-policy Methods

- On-policy methods attempt to improve a policy that is used for gathering data
- Off-policy methods attempt to improve a different policy from the one used for gathering data

Off-policy exploration in humans

https://www.youtube.com/watch?v=8vNxjwt2Aq Y

first-visit MC control (for ε -soft policies), estimates $\pi \approx \pi_*$

```
Initialize, for all s \in S, a \in \mathcal{A}(s):

Q(s, a) \leftarrow \text{arbitrary}

Returns(s, a) \leftarrow \text{empty list}

\pi(a|s) \leftarrow \text{an arbitrary } \varepsilon\text{-soft policy}

Repeat forever:
```

```
(a) Generate an episode using \pi

(b) For each pair s, a appearing in the episode:

G \leftarrow the return that follows the first occurrence of s, a

Append G to Returns(s, a)

Q(s, a) \leftarrow average(Returns(s, a))

(c) For each s in the episode:

A^* \leftarrow arg max<sub>a</sub> Q(s, a) (with ties broken arbitrarily)

For all a \in \mathcal{A}(s):

\pi(a|s) \leftarrow \begin{cases} 1 - \varepsilon + \varepsilon/|\mathcal{A}(s)| & \text{if } a = A^* \\ \varepsilon/|\mathcal{A}(s)| & \text{if } a \neq A^* \end{cases}
```

first-visit MC control

```
Initialize, for all s \in S, a \in \mathcal{A}(s):

Q(s, a) \leftarrow \text{arbitrary}

Returns(s, a) \leftarrow \text{empty list}

\pi(a|s) \leftarrow \text{an arbitrary } \varepsilon\text{-soft policy}
```

Is this on- or off-policy learning?

Does this algorithm learn the optimal policy?

Does it estimate the true Q function?

 $\begin{array}{ll} \text{Repeat forever:} \\ (a) \text{ Generate an episode using } \pi \\ (b) \text{ For each pair } s, a \text{ appearing in the episode:} \\ G \leftarrow \text{ the return that follows the first occurrence of } s, a \\ \text{ Append } G \text{ to } Returns(s, a) \\ Q(s, a) \leftarrow \text{ average}(Returns(s, a)) \\ (c) \text{ For each } s \text{ in the episode:} \\ A^* \leftarrow \arg\max_a Q(s, a) \\ \text{ For all } a \in \mathcal{A}(s): \\ \pi(a|s) \leftarrow \left\{ \begin{array}{cc} 1 - \varepsilon + \varepsilon/|\mathcal{A}(s)| & \text{ if } a = A^* \\ \varepsilon/|\mathcal{A}(s)| & \text{ if } a \neq A^* \end{array} \right. \end{array} \right.$

Programming Assignment #2

On-policy MC

On-policy first-visit MC control (

```
Initialize, for all s \in S, a \in \mathcal{A}(s):

Q(s, a) \leftarrow \text{arbitrary}

Returns(s, a) \leftarrow \text{empty list}

\pi(a|s) \leftarrow \text{an arbitrary } \varepsilon\text{-soft policy}
```

How can we implement this algorithm efficiently?

 $\begin{array}{ll} \text{Repeat forever:} \\ (a) \text{ Generate an episode using } \pi \\ (b) \text{ For each pair } s, a \text{ appearing in the episode:} \\ & G \leftarrow \text{ the return that follows the first occurrence of } s, a \\ & \text{Append } G \text{ to } Returns(s, a) \\ & Q(s, a) \leftarrow \text{average}(Returns(s, a)) \\ (c) \text{ For each } s \text{ in the episode:} \\ & A^* \leftarrow \arg\max_a Q(s, a) \\ & \text{ For all } a \in \mathcal{A}(s) \text{:} \\ & \pi(a|s) \leftarrow \left\{ \begin{array}{ll} 1 - \varepsilon + \varepsilon/|\mathcal{A}(s)| & \text{ if } a = A^* \\ \varepsilon/|\mathcal{A}(s)| & \text{ if } a \neq A^* \end{array} \right. \end{array} \right.$

Off-policy learning and importance sampling

- The prediction problem: given data generated using policy *b*, what is the value function for policy π ?
- Off-policy prediction and control

Temporal Difference Learning

• Overview of Section 6.1

Learning in a Grid World

https://www.youtube.com/watch?v=tovrpoUkzY U

Temporal Difference Learning

• Example 6.4

Q-Learning and Sarsa

Q-learning (off-policy TD control) for estimating $\pi \approx \pi_*$

Initialize Q(s, a), for all $s \in S$, $a \in \mathcal{A}(s)$, arbitrarily, and $Q(terminal-state, \cdot) = 0$ Repeat (for each episode):

Initialize S Repeat (for each step of episode): Choose A from S using policy derived from Q (e.g., ϵ -greedy) Take action A, observe R, S' $Q(S, A) \leftarrow Q(S, A) + \alpha [R + \gamma \max_a Q(S', a) - Q(S, A)]$ $S \leftarrow S'$ until S is terminal

Sarsa (on-policy TD control) for estimating $Q \approx q_*$

 $\begin{array}{ll} \mbox{Initialize } Q(s,a), \mbox{ for all } s \in \mathbb{S}, a \in \mathcal{A}(s), \mbox{ arbitrarily, and } Q(\textit{terminal-state}, \cdot) = 0 \\ \mbox{Repeat (for each episode):} \\ \mbox{Initialize } S \\ \mbox{Choose } A \mbox{ from } S \mbox{ using policy derived from } Q \mbox{ (e.g., ϵ-greedy)} \\ \mbox{Repeat (for each step of episode):} \\ \mbox{Take action } A, \mbox{ observe } R, \mbox{ } S' \\ \mbox{Choose } A' \mbox{ from } S' \mbox{ using policy derived from } Q \mbox{ (e.g., ϵ-greedy)} \\ \mbox{ } Q(S,A) \leftarrow Q(S,A) + \alpha \big[R + \gamma Q(S',A') - Q(S,A) \big] \\ \mbox{ } S \leftarrow S'; \mbox{ } A \leftarrow A'; \\ \mbox{ until } S \mbox{ is terminal} \end{array}$

Cliff-walking example

Beyond 1-step updates



Moderated Discussion

THE END