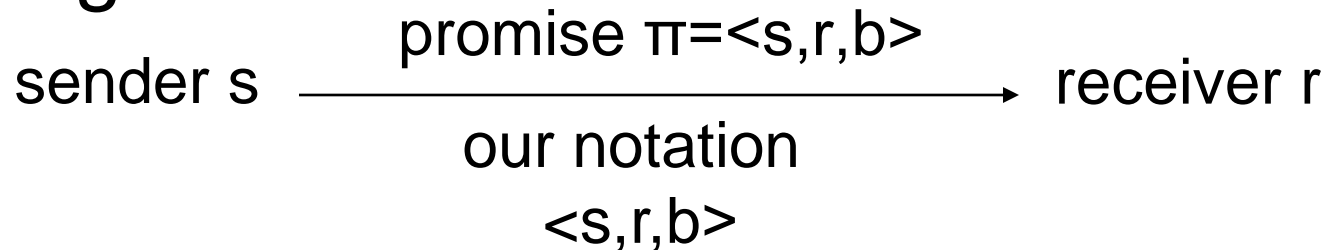


# Modeling change without breaking promises

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# Promises

- A promise is a one-sided agreement from the sender to conform to some limits upon the sender's behavior.
- Sender agrees to some behavior  $b$  (called a **promise body**)
- Receiver simply observes and is not obligated.



# Conditional promises

- A **conditional promise** constrains the sender's behavior only under certain conditions.
- In our calculus of conditions, **only other promises can be conditions**.
- The notation  $\langle s_2, r_2, b_2 \rangle \mid \langle s_1, r_1, b_1 \rangle$  means that  $s_2$  promises  $b_2$  to  $r_2$  **only if it observes** that  $s_1$  has promised  $b_1$  to  $r_1$ .
- Subtle: the above is really **one promise** with a special body:  $\langle s_2, r_2, (b_2 \mid \langle s_1, r_1, b_1 \rangle) \rangle$

# One problem with promises...

- ... is that they aren't valid "forever".
- If conditions change, an agent must "break promises".
- A **broken promise** occurs when an agent promises something **contradictory** to a prior promise it has made.
- Note that a promise may also be **unfulfilled**; this is different from breaking a promise.

# Semantics of broken promises

- The “contradiction” that signals that a promise is broken can be complex.
- A promise body can be thought of as a set of **prolog-style facts**.
- A **broken promise** is one in which the facts are **logically inconsistent** with those of some prior promise.

# Example of a broken promise

- **fileservice(100ms)** – I promise to give you file service with an average response time of 100ms.
- **fileservice(70ms)** – better, not a broken promise.
- **fileservice(200ms)** – worse, and **breaks both other promises.**
- Semantics of broken promises are **complex** and depend upon semantics of promise bodies!

# How not to break promises

- **Scope promises** in time and by events.
- Avoid having to infer contradictions to invalidate promises.
- Really, this is part of the **type system** of promise bodies.
- But we can separate this scoping from the type system via a simple notation.

# Operative and inoperative promises

- A promise is **operative** (at a particular time) if it holds at that time, and **inoperative** otherwise.
  1. Unconditional promises are operative until they are broken.
  2. Conditional promises are operative if their conditions are operative.



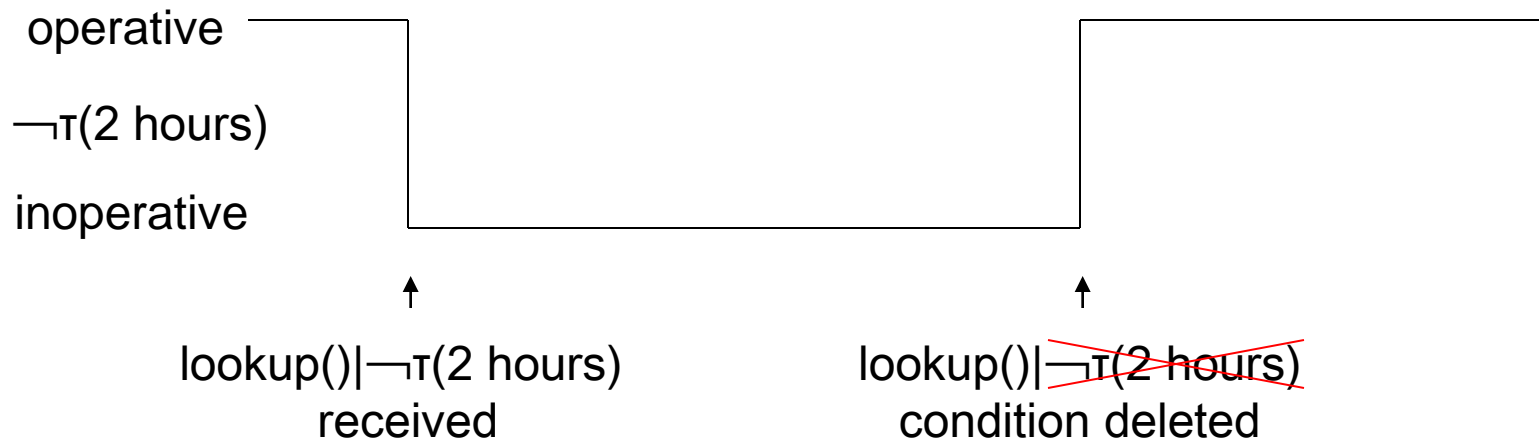
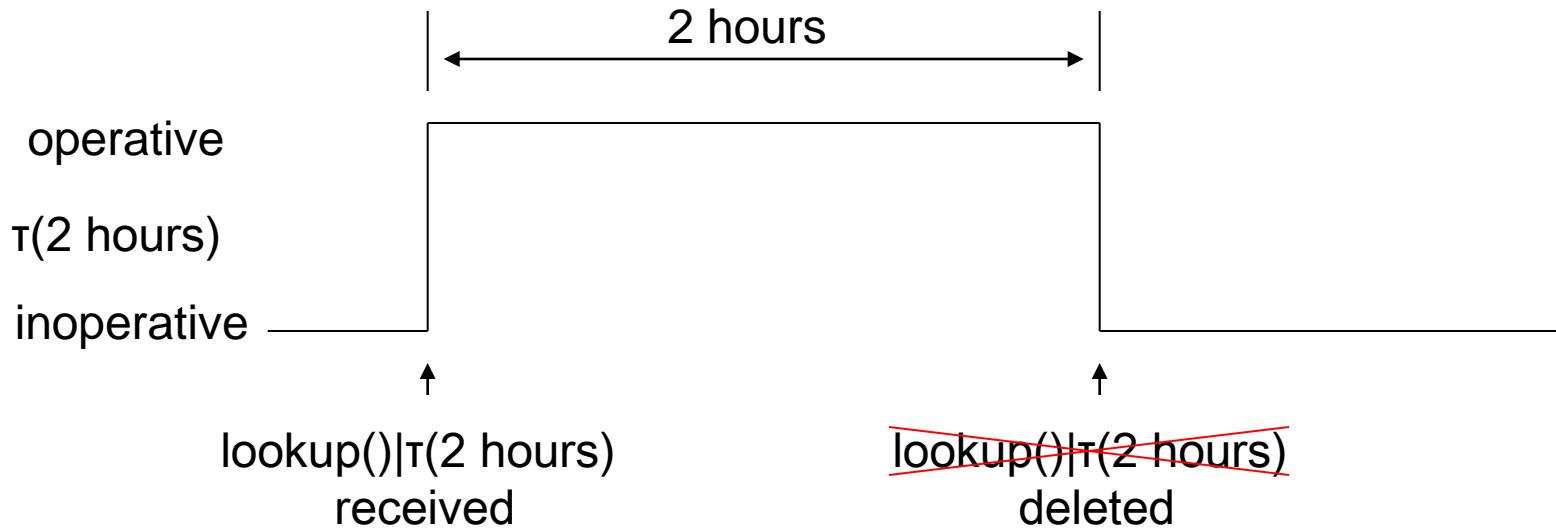
# $\alpha$ and $\tau$

- Two new promise bodies:
  - $\tau(\text{increment})$  is operative from current time to current time + increment
  - $\alpha(\text{promise})$  is operative until receipt of the specified promise.
- And one new operator:
  - $\neg(p)$  is operative whenever  $p$  is not operative.

# Implicit sender and receiver

- $\langle s, r, (b | \tau(1 \text{ second})) \rangle$   
means  $b$  is operative for one second only.
- We can “factor”  $\tau$  out of the promise body:  
 $\langle s, r, b \rangle | \langle s, r, \tau(1 \text{ second}) \rangle$
- But only  $s, r$  make sense as sender and receiver of  $\tau$ . Thus we can write:  
 $\langle s, r, b \rangle | \tau(1 \text{ second})$   
without confusion

# Timing diagrams



# Leasing and gating

- $\tau$  is operative for a given amount of time.
  - So  $\tau$  can be used to simulate leasing.
- $\alpha$  is operative until a given promise is received.
  - So  $\alpha$  can be used to simulate gating, in which receipt of one promise activates or deactivates another.

# Leasing

- **$\langle s, r, \text{dhcp}(192.138.177.3) \rangle \mid \tau(2 \text{ hours})$**   
a DHCP lease grants use of an IP address for two hours.
- **$\langle s, r, \text{fileservice}() \rangle \mid \neg \tau(1 \text{ hour}), \tau(3 \text{ hours})$**   
s offers r fileservice one hour from now, for two hours.
- (a list of conditions is a conjunction)

# Gating

- **$\langle s, r, \text{fileservice}() \rangle \mid \alpha(\langle r, s, \text{stop}() \rangle)$**   
offer fileservice until told to stop offering it.
- **$\langle r, s, \text{stop}() \rangle \mid \tau(0)$**   
stop offering file service any more.  
( $\tau(0)$  becomes operative and then non-operative  
**at the same time step** and “gates” the  
transition.)  
(**stop()** is an **abstract promise** whose meaning is  
just to gate another one)

# Type factoring

Consider the promise system

- $\langle s, r, \text{dhcp}(192.138.178.1) \rangle \mid \tau(2 \text{ hours})$
- $\langle r, s, \text{dns}() \rangle \mid \alpha(\langle s, r, \text{dns}() \rangle)$

At any time, this system can be reduced to an equivalent one free of  $\alpha$  and  $\tau$ .

The reduction differs, depending upon time and events.

Before 2 hours are up and  
<s,r,dns()> not received

Reduced system:

- <s,r,dhcp(192.138.178.1)> |  ~~$\tau(2 \text{ hours})$~~
- <r,s,dns()> |  ~~$\alpha(\langle s,r,dns() \rangle)$~~



After 2 hours are up and  
<s,r,dns()> not received

Reduced system:

- ~~<s,r,dhop(192.138.178.1)> |  $\tau$ (2 hours)~~
- <r,s,dns()> |  ~~$\alpha$ (<s,r,dns()>)~~

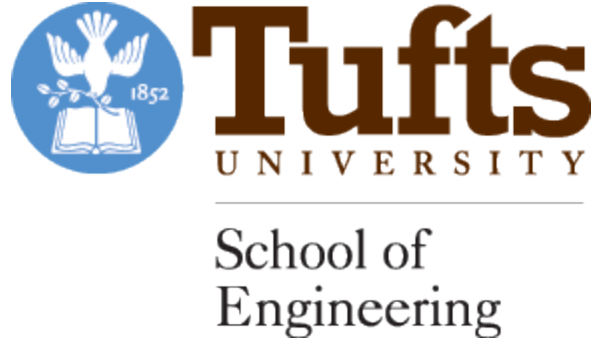
After 2 hours are up and after  
<s,r,dns()> received

Reduced system:

- ~~<s,r,dhop(192.138.178.1)> |  $\tau(2 \text{ hours})$~~
- ~~<r,s,dns()> |  $\alpha(<s,r,dns()>)$~~

# Claims

- $\alpha$  and  $\tau$  are the minimal necessary operators for accomplishing change in promise networks without breaking promises. They are:
  - **self-erasing** when purpose is complete
  - **scalable** to use in complex tasks
  - **flexible**; any sequence of promise states can be managed in the promise space of the recipient.
  - **external** to the type system of promise bodies.



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